## Lesson 3.4 Worksheet

Name: $\qquad$
Tell whether the given ordered triple is a solution of the system.
1.) $(-1,-2,5)$
$4 x-y+3 z=13$
$x+y+z=2$ $x+3 y-2 z=-17$
2.) $(1,4,-3)$
$2 x-y+z=-7$
$5 x+2 y-2 z=19$
$x-3 y+z=-8$
solution? $\qquad$ solution? $\qquad$
Solve the system using the elimination method.
3.) $3 x-y+2 z=4$
$6 x-2 y+4 z=-8$
$2 x-y+3 z=10$
solution:
4.) $4 x-y+2 z=-18$
$-x+2 y+z=11$
$3 x+3 y-4 z=44$

Solve the system using the substitution method.
5.) $2 x-y+z=-2$
$6 x+3 y-4 z=8$
$-3 x+2 y+3 z=-6$
solution: $\qquad$
6.) $4 x+y+5 z=-40$
$-3 x+2 y+4 z=10$
$x-y-2 z=-2$
solution: $\qquad$
Solve the system using any algebraic method.
7.) $x+y+z=6$
$x-y+z=6$
$4 x+y+4 z=24$
solution: $\qquad$
8.) $x+y-z=2$
$3 x+3 y-3 z=8$
$2 x-y+4 z=7$
solution: $\qquad$
9.) Three families are going to see a movie at the theater. The first family buys two medium popcorns, a small soda, and a box of candy and spends $\$ 14$. The second family buys one medium popcorn, a small soda, and three boxes of candy and spends $\$ 15$. The third family buys three medium popcorns and a small soda and spends $\$ 16$. What is the cost of one medium popcorn? one small soda? one box of candy?
10.) Mukwonago was the big winner at last year's Classic 8 Conference track meet with the help of 20 individual-event place winners earning a combined 68 team points (in other words, MHS had 20 people place either $1^{\text {st }}, 2^{\text {nd }}$, or $3^{\text {rd }}$ and scored a total of 68 total team points). A $1^{\text {st }}$ place finish earns 5 team points, a $2^{\text {nd }}$ place finish earns 3 team points, and a $3^{\text {rd }}$ place finish earns 1 team point. MHS had a stong $2^{\text {nd }}$ place showing, with as many $2^{\text {nd }}$ place finishers as $1^{\text {st }}$ and $3^{\text {rd }}$ place finishers combined. Exactly how many athletes finished in $1^{\text {st }}$ place? $2^{\text {nd }}$ place? $3^{\text {rd }}$ place?

