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# NOTES: Section 8.6 - Exponential Growth Functions 

Goals: \#1 - I can graph write and graph exponential growth functions.


Homework: Section 8.6 Worksheet
Warm Up:

1. Write the number 0.000459 in scientific notation.
2. Write the number $4.33 \times 10^{8}$ in standard notation.
3. Perform the indiciated operation.
a. $\left(9 \times 10^{-6}\right)\left(2 \times 10^{4}\right)$
b. $\frac{8 \times 10^{-3}}{4 \times 10^{-5}}$

Exploration \#1: Work with a partner. Complete the tables and graph the following functions.

1. $y=5^{x}$
2. $y=5 x$

| $\boldsymbol{x}$ | $\boldsymbol{y}$ |
| :--- | :--- |
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## Notes:

One use of $\qquad$ is to model $\qquad$ .

A quantity is growing $\qquad$ if it increse by the same $\qquad$ in each unit of $\qquad$ .

can be modeld by the equation:

$$
y=C(1+r)^{t}
$$

Example \#1: A newly hatched channel catfish typically weighs about 0.06 gram. During the first six weeks of life, its weight increases by about $10 \%$ each day. Write a model for the weight of the catfish during the first six weeks.
a. Using the model, predict the weight of the catfish after 26 days.

Example \#2: A TV station's local news program has 50,000 viewers. The managers of the station hope to increase the number of viewers by $2 \%$ per month. Write an exponential growth model to represent the number of viewers $v$ in $t$ months.
a. Using the model, predict how many viewers the news program will have in 15 months.
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## Notes:

A common real-life example of exponential growth is $\qquad$ -

The model for $\qquad$ is generally written using:

$$
A=P(1+r)^{t}
$$

Example \#3: You deposit \$500 in an account that pays 8\% interest compounded yearly. What will the account balance be after 6 years?

Example \#4: A savings certificate of $\$ 1000$ pays $6.5 \%$ interest compounded yearly. What is the balance when the certificate matures in 5 years?

## You practice:

1. A rancher begins his herd of Longhorn cattle with 15 . The herd grows by about $30 \%$ per year. Write a model for the size of his cattle during the first several years.
a. Using the model, predict how many cattle the rancher will have in 4 years.
2. You deposit $\$ 750$ in an account that pays $6 \%$ interest rate compounded yearly. What is the balance after 10 years?
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Example \#5: An initial population of 20 mice triples each year for 5 years.
a. Write an exponential growth model.
b. What is the mice population after 3 years?
c. What is the mice population after 5 years?
d. Graph the exponential growth of the model using a table:



