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$\qquad$ Date: $\qquad$

## NOTES: Section 5.7 - Apply the Fundamental Theorem of Algebra

Goals: \#1 - I can identify the number of solutions or zeros in a polynomial.
\#2 - I can find all the zeros (real, imaginary, and repeated) in a polynomial.
\#3 - I can write a polynomial with given zeros.
\#4 - I can determine the number and type of zeros of a polynomial given the degree and graph.

Homework: Lesson 5.7 Worksheet

Exploration \#1: Work with a partner and answer the following questions.

1. How many zeros are in the following graph?
$f(x)=3 x-2$
$f(x)=2 x^{2}-x-1$



Notes:
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If a $\qquad$ $f(x)$ has a $\qquad$ then the equation
$f(x)=0$ has exactly $\qquad$ given each
$\qquad$ counts as $\qquad$ .

Example \#1: Find the number of solutions or zeros of the following polynomial.

1. $x^{3}+5 x^{2}+4 x+20=0$
2. $f(x)=x^{4}-8 x^{3}+18 x^{2}-27$
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Example \#2: Find all zeros of the polynomial function.

1. $f(x)=x^{5}-4 x^{4}+4 x^{3}+10 x^{2}-13 x-14$

You practice: Find all zeros of the polynomial function.

1. $f(x)=x^{5}-2 x^{4}+8 x^{2}-13 x+6$
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## Notes:

$\qquad$

- If a ___ $f(x)$ has $\qquad$ as an imaginary zero, then
$\qquad$ is also a $\qquad$ of $f$.
- If a $\qquad$ $f(x)$ has $\qquad$ as an imaginary zero, then
$\qquad$ is also a $\qquad$ of $f$.

Example \#3: Write a polynomial function $f$ of least degree that has rational coefficients, a leading coefficient of 1 , and 3 and $2+\sqrt{5}$ as zeros.

You practice: Write a polynomial function $f$ of least degree that has rational coefficients, a leading coefficient of 1 , and $2,2 i$, and $4-\sqrt{6}$ as zeros.

