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## NOTES: Section 10.1 - Apply the Counting Principle and Permutations

Goals: \#1-I can apply the fundamental counting principle.
\#2 - I can use permutations to count.
\#3 - I can use permutations with repetition to count.
Homework: Lesson 10.1 Worksheet

## Example \#1:

For a wedding dinner, you have a choice between soup or salad. You also have your choice of entree between beef, chicken, or fish. Lastly, you can choose between cake of a brownie. How many different choices does the wedding have for dinner?

## Notes:

In many real-life problems, we can count the number of ways to perform a task. One way to do this is to use a $\qquad$ .

Another way to count the number of ways to perform a task is by using the

- ____ If one event can occur in $m$ ways and another event can occur
in $n$ ways, then the number of ways that $\qquad$ events occur is $\qquad$ .
- $\qquad$ : If three events can occur in $m, n$ and $p$ ways, then the number of ways that $\qquad$ three events occur is $\qquad$ .
$\qquad$
$\qquad$ Date: $\qquad$


## Example \#2:

You are buying a pizza. You have a choice of 3 crusts, 4 cheeses, 5 meat toppings, and 8 vegetable toppings. Have many different pizzas with one crust, one cheese, one meat, and one vegetable can you choose?

## Example \#3:

The new configuration for a Wisconsin license plate is 3 letters followed by 4 digits.
a. How many different license plates are possible if letters and digits can be repeated?
b. How many different license plates are possible if letter and digits cannot be repeated?

## You practice:

A town has telephone numbers that all begin with 329 followed by four digits.
a. How many different phone numbers are possible if the numbers can be repeated?
b. How many different phone numbers are possible if the numbers cannot be repeated?
$\qquad$
$\qquad$ Date: $\qquad$

## Notes:

An $\qquad$ of $n$ number of objects is a $\qquad$ .

Example: How many different ways can the letters A, B, and C be arranged?

The expression $3 \cdot 2 \cdot 1$ can also be written as $\qquad$ . In mathematics, the symbol ! is called a $\qquad$ .

Example: 7!

The number of $\qquad$ of $n$ objects is $\qquad$ .

## Example \#4:

Eight teams are competing in a baseball playoff.
a. In how many different ways can the baseball teams finish the competition?
b. In how many different ways can the baseball teams finish first, second, and third?

## Notes:

The answer to part (b.) is called the number of $\qquad$ of 8 objects taken 3 at a time. This is denoted by:

In gneral, the number of $\qquad$ of $r$ objects taken from a group of $n$ distinct objects is denoted by $\qquad$ and given by this formula:
$\qquad$
$\qquad$ Date: $\qquad$

## Calculator practice:

1. ${ }_{8} P_{3}$
2. ${ }_{12} P_{4}$
3. ${ }_{15} P_{0}$

## Example \#5:

You have 6 homework assignments to complete over the weekend. However, you only have time to complete 4 of them on Saturday. In how many orders can you complete 4 of the assignments?

Notes:
The number of $\qquad$ permutations of $n$ objects where one object is repeated $s_{1}$ times, another is repeated $s_{2}$ times is given by the formula:

Example \#6: Find the number of distinguishable permutations of the letters in a. EVEN
b. CALIFORNIA

## You practice:

1. Have many different ways can 4 raffle tickets be selected from 50 tickets if each ticket wins a different prize?
2. Find the number of distinguishable permutations of the letters in CINCINNATI.
