

Name: KEY Hour: \_\_\_\_\_ Date: \_\_\_\_\_

## NOTES: Domain and Range

Goals: #1 - I can use interval notation to denote a function's domain and range.

#2 - I can determine the domain and range of a function when given a graph.

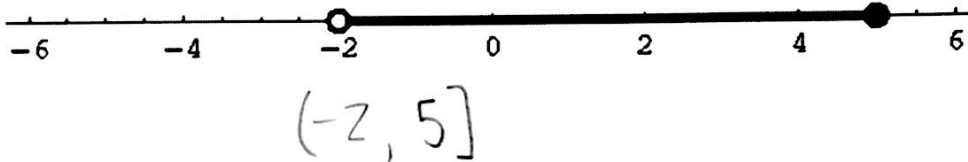
#3 - I can identify the domain and range of any function.



### Homework: Domain & Range Worksheet

#### Exploration #1:

1. How could we represent the set of numbers that are shaded in RED?



Review: How do we define domain and range?

DOMAIN: set of all possible inputs (x values)

RANGE: set of all possible outputs (y values)

#### Notes:

We use interval notation to denote a function's domain and range.

When listing domain and range, we list the smallest possible value on the left and the biggest possible value on the right

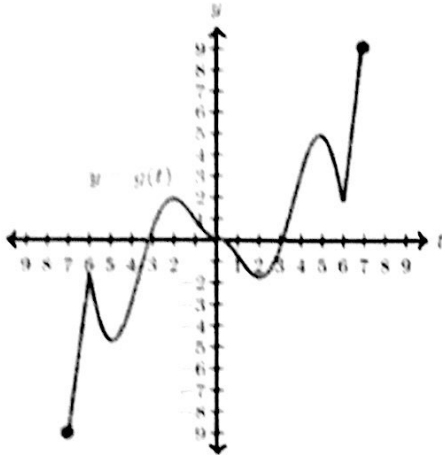
[OR ( smallest value , largest value ) OR ]

We use closed brackets [ , ] to include a value in the set.

We use open parentheses ( , ) to NOT include a value in the set.

**Example #1:** Identify the domain and range of the relations graphed below. Use interval notation.

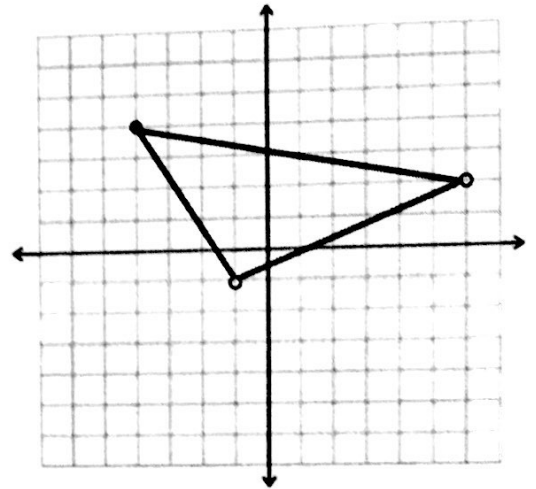
a.



Domain:  $[-7, 7]$   
smallest x      largest x

Range:  $[-9, 9]$

b.

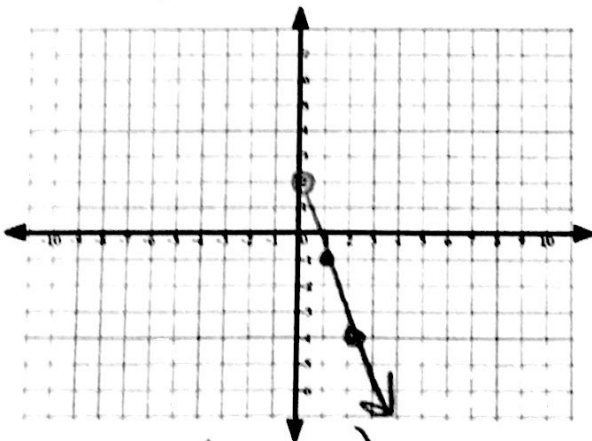


Domain:  $[-4, 6)$

Range:  $[-1, 4]$

**Example #2:** Graph the function using any method. Identify the function's domain and range using interval notation.

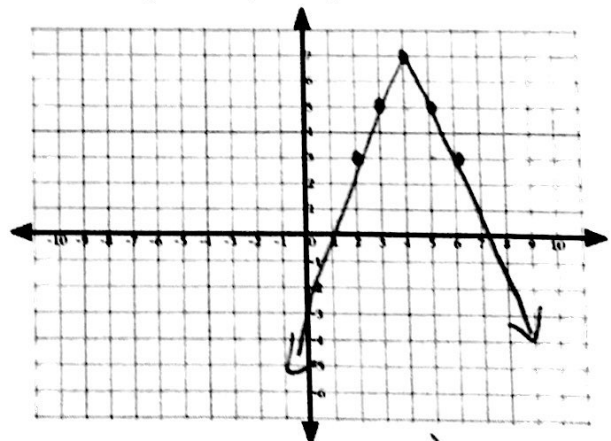
a.  $y = -3x + 2$  for  $x > 0$



Domain:  $(0, \infty)$

Range:  $(-\infty, 2)$

b.  $y = -2|x - 4| + 7$



Domain:  $(-\infty, \infty)$

Range:  $(-\infty, 7]$

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**Example #3:** Jason had a summer job that paid \$7.00 an hour and he worked between 15 and 35 hours every week. His weekly salary can be modeled by the equation:  $S = 7h$ , where  $S$  is his weekly salary and  $h$  is the number of hours he worked in a week.

- a. Describe a reasonable domain and range for the situation.

Domain: [15, 35]

Range: [105, 245]

$$f(15) = 7(15) = 105$$

$$f(35) = 7(35) = 245$$